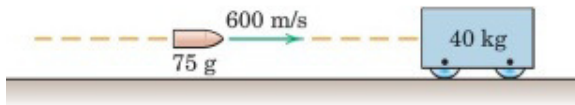


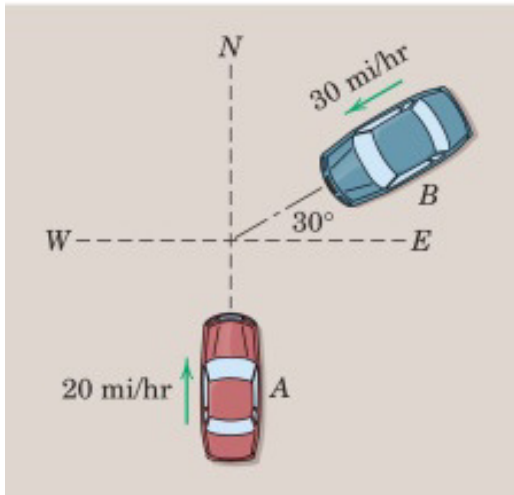
**3/177***Ans:*  $|\Delta E| = 13.470 \text{ J}$ ;  $n = 99.8\%$ 

A 75-g projectile traveling at 600 m/s strikes and becomes embedded in the 40-kg block, which is initially stationary. Compute the energy lost during the impact. Express your answer as an absolute value  $|\Delta E|$  and as a percentage  $n$  of the original system energy  $E$ .



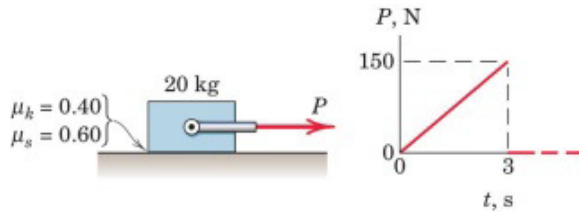
**3/188***Ans:*  $v = 13.83$  mi/hr,  $\theta = 83.9^\circ$  west of north

Car *A* weighing 3200 lb and traveling north at 20 mi/hr with car *B* weighing 3600 lb and traveling at 30 mi/hr as shown. If the two cars become entangled and move together as a unit after the crash, compute the magnitude  $v$  of their common velocity immediately after the impact and the angle  $\theta$  made by the velocity vector with the north direction.



**3/194***Ans:*  $t_s = 3.46$  s

The initially stationary 20-kg block is subjected to the time-varying horizontal force whose magnitude  $P$  is shown in the plot. Note that the force is zero for all times greater than 3 s. Determine the time  $t_s$  at which the block comes to rest.



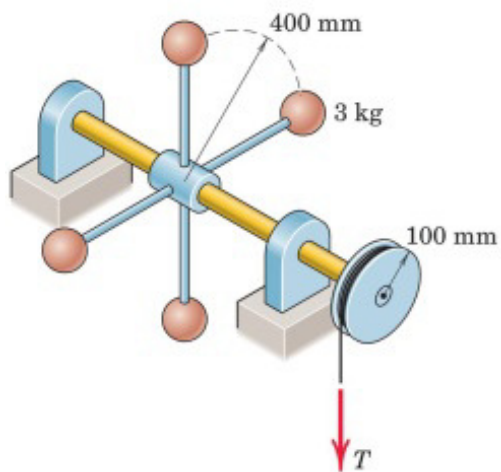
**3/201**      *Ans:* (a) 19.56 ft/sec = 13.33 mi/hr; (b)  $a_A = 97.8 \text{ ft/sec}^2$  left,  $a_B = 195.6 \text{ ft/sec}^2$  right; (c) 12,150 lb

Car  $B$  is initially stationary and is struck by car  $A$  moving with initial speed  $v_1 = 20 \text{ mi/hr}$ . The cars become entangled and move together with speed  $v'$  after the collision. If the duration of the collision is 0.1 sec, determine (a) the common final speed  $v'$ ; (b) the average acceleration of each car during the collision, and (c) the magnitude  $R$  of the average force exerted by each car on the other car during the collision.



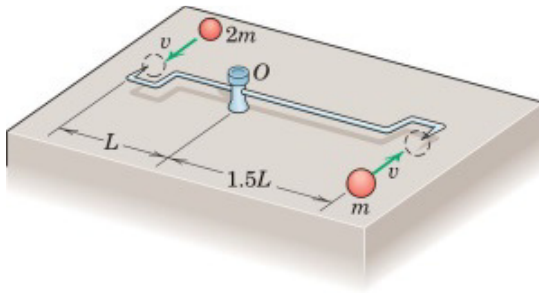
**3/219***Ans:  $t = 15.08$  s*

The assembly starts from rest and reaches an angular speed of 150 rev/min under the action of a 20-N force  $T$  applied to the string for  $t$  seconds. Determine  $t$ . Neglect friction and all masses except those of the four 3-kg spheres, which may be treated as particles.



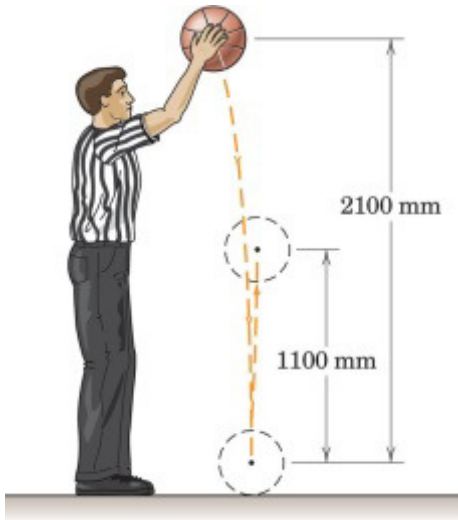
**3/229***Ans:*  $\omega = 0.824(v/L)$ 

The small spheres, which have the masses and initial velocities shown in the figure, strike and become attached to the spiked ends of the rod, which is freely pivoted at  $O$  and is initially at rest. Determine the angular velocity  $\omega$  of the assembly after impact. Neglect the mass of the rod.



**3/241***Ans:  $e = 0.724$ ;  $n = 47.6\%$* 

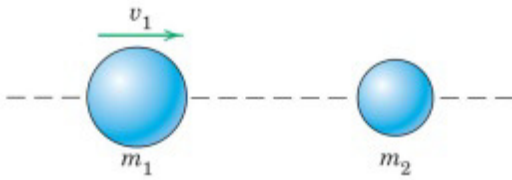
As a check of the basketball before the start of a game, the referee releases the ball from the overhead position, shown, and the ball rebounds to about waist level. Determine the coefficient of constitution  $e$  and percentage  $n$  of the original energy lost during the impact.



**3/244**

$$\text{Ans: } \frac{m_1}{m_2} > \frac{1}{e}$$

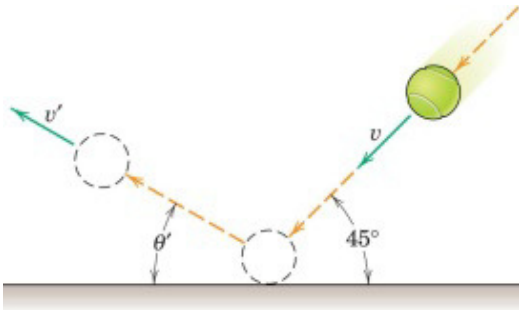
The sphere of mass  $m_1$  travels with an initial velocity  $v_1$  directed as shown and strikes the stationary sphere of mass  $m_2$ . For a given coefficient of restitution  $e$ , what condition on the mass ratio  $m_1/m_2$  ensures that the final velocity of  $m_2$  is greater than  $v_1$ ?





**3/245***Ans:  $h = g/\omega^2; T = mL\omega^2$* 

A tennis ball is projected toward a smooth surface with speed  $v$  as shown. Determine the rebound angle  $\theta_1$  and the final speed  $v'$ . the coefficient of resistution is 0.6.



**3/250***Ans:* (a)  $h = 10.94$  in., (b)  $h_2 = 7.43$  in.

If the center of the ping-pong ball is to clear the net as shown, what height  $h$  should the ball be horizontally served? Also determine  $h_2$ . The coefficient of restitution for the impacts between ball and table is  $e = 0.9$ , and the radius of the ball is  $r = 0.75$  in.

